

Characterization of paddle-induced granular flow in convective mixers

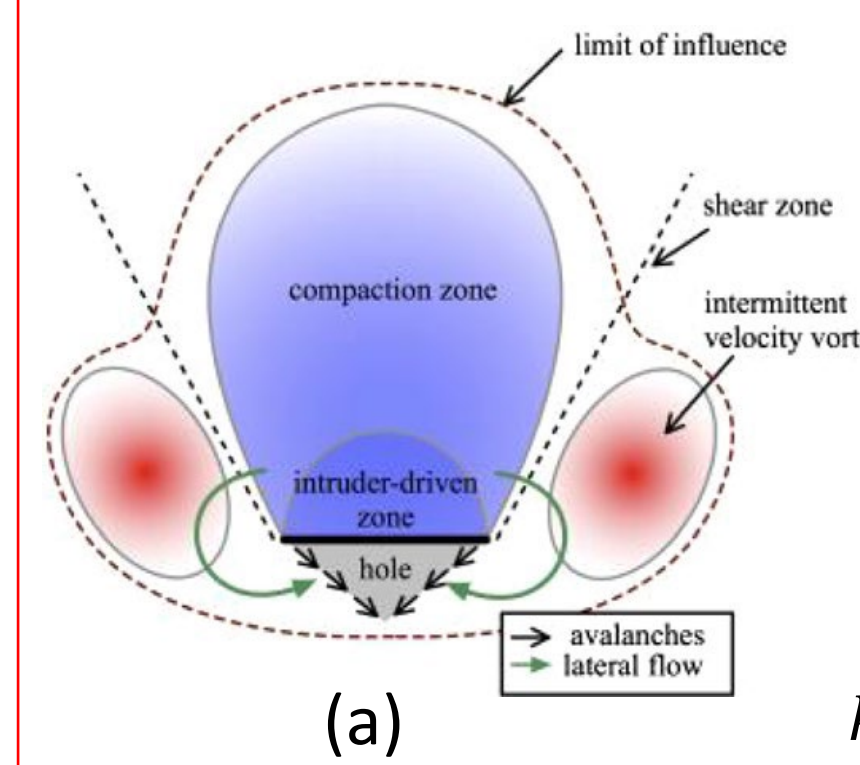
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1. Context

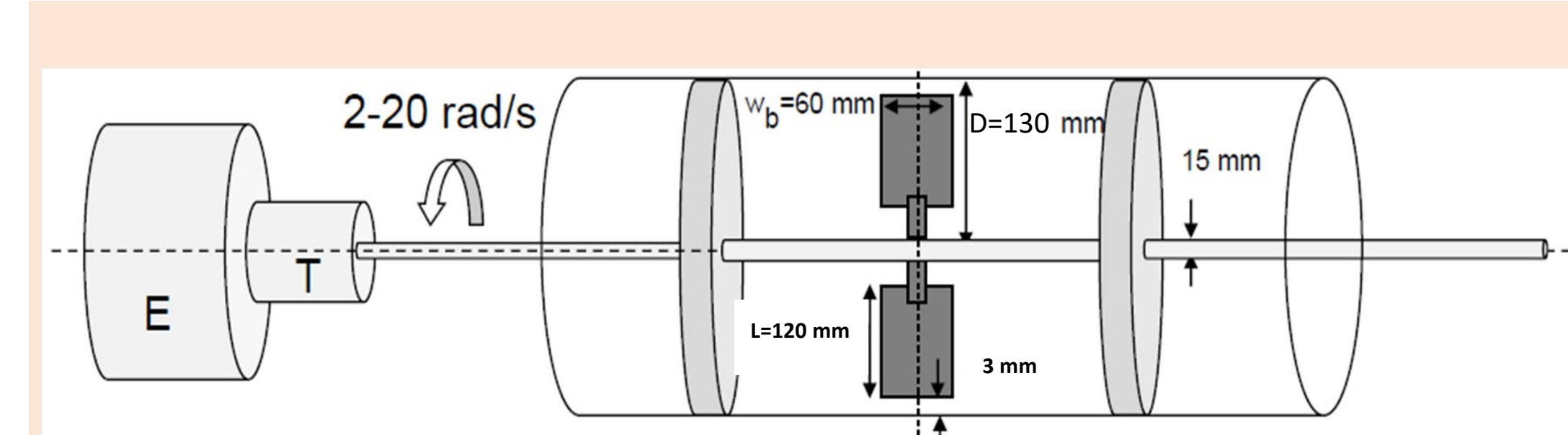
Numerous industrial sectors need to process granular materials through stirring operations in order to homogenize or mix particulate solids. Paddle-induced granular flow is still poorly understood and hardly predictable. The aim of our work is to study extensively powder rheology to establish process-relations that allow designing and scaling-up industrial operations.



In the submerged area, the flow is generated by frictional forces inside sheared band of width = $K * d$
 k : number of particles
 d : particle mean diameter

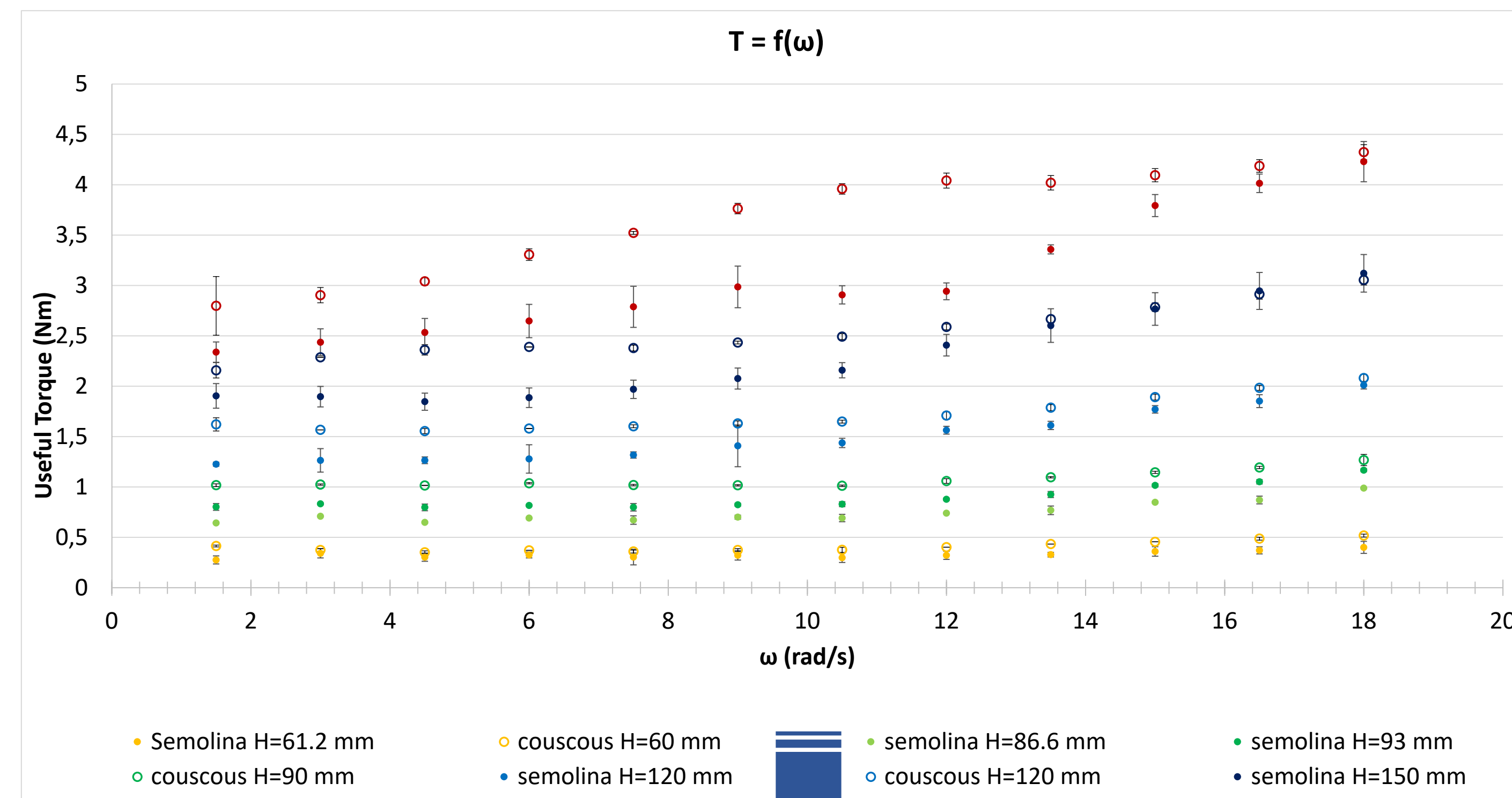
Semolina	$D_{50}=312 \mu\text{m}$ $\rho_b=679 \text{ kg/m}^3$ $\rho_p=1460 \text{ kg/m}^3$
Couscous	$D_{50}=1005 \mu\text{m}$ $\rho_b=854 \text{ kg/m}^3$ $\rho_p=1438 \text{ kg/m}^3$

2. In-System rheology

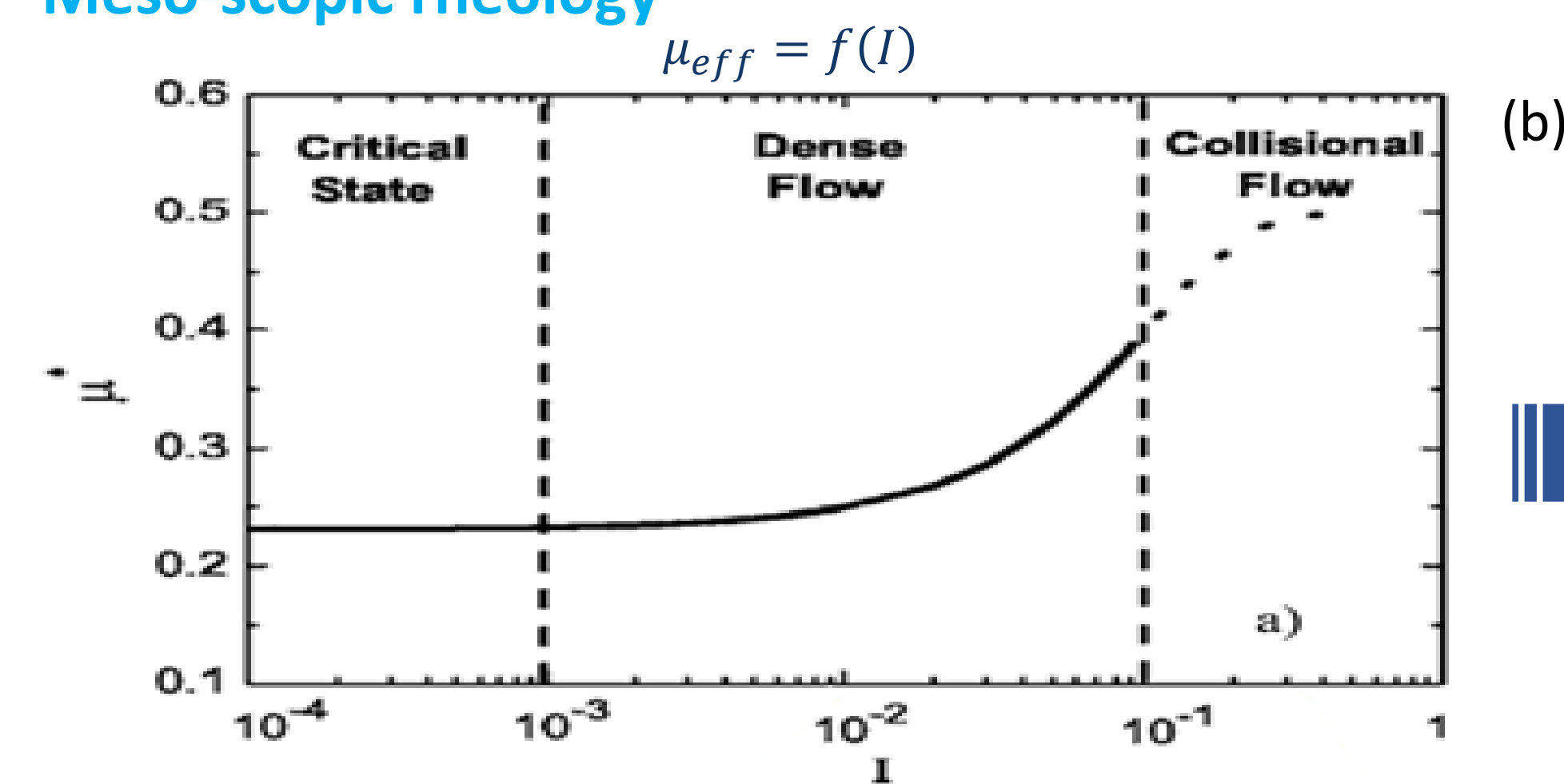


The torque is a descriptor used in the study of systems agitated by a rotating device.

$$\text{Torque} = f(\text{rotational speed})$$



3. Meso-scopic rheology



(c)

$$\text{Inertial number } I = \frac{\text{Time of confinement}}{\text{Time of deformation}} = \dot{\gamma} d \sqrt{\frac{\rho}{\sigma_n}}$$

$$\text{Effective friction coefficient } \mu_{eff} = \frac{\tau_w}{\sigma_n}$$

4. Multi-scale rheology

$$\mu_{eff} = \frac{\tau}{\sigma} = \frac{T}{\rho_b g S H L}$$

$$I = \dot{\gamma} d \sqrt{\frac{\rho_p}{\sigma}} = \frac{\omega L}{k \sqrt{\frac{\rho_b}{\rho_p} g H}}$$

$\dot{\gamma} = \frac{V_p}{k d} = \frac{\omega L}{k d}$
 $k=30$
 $\tau = \frac{T}{S L}$
 $\sigma = \rho_b g H$

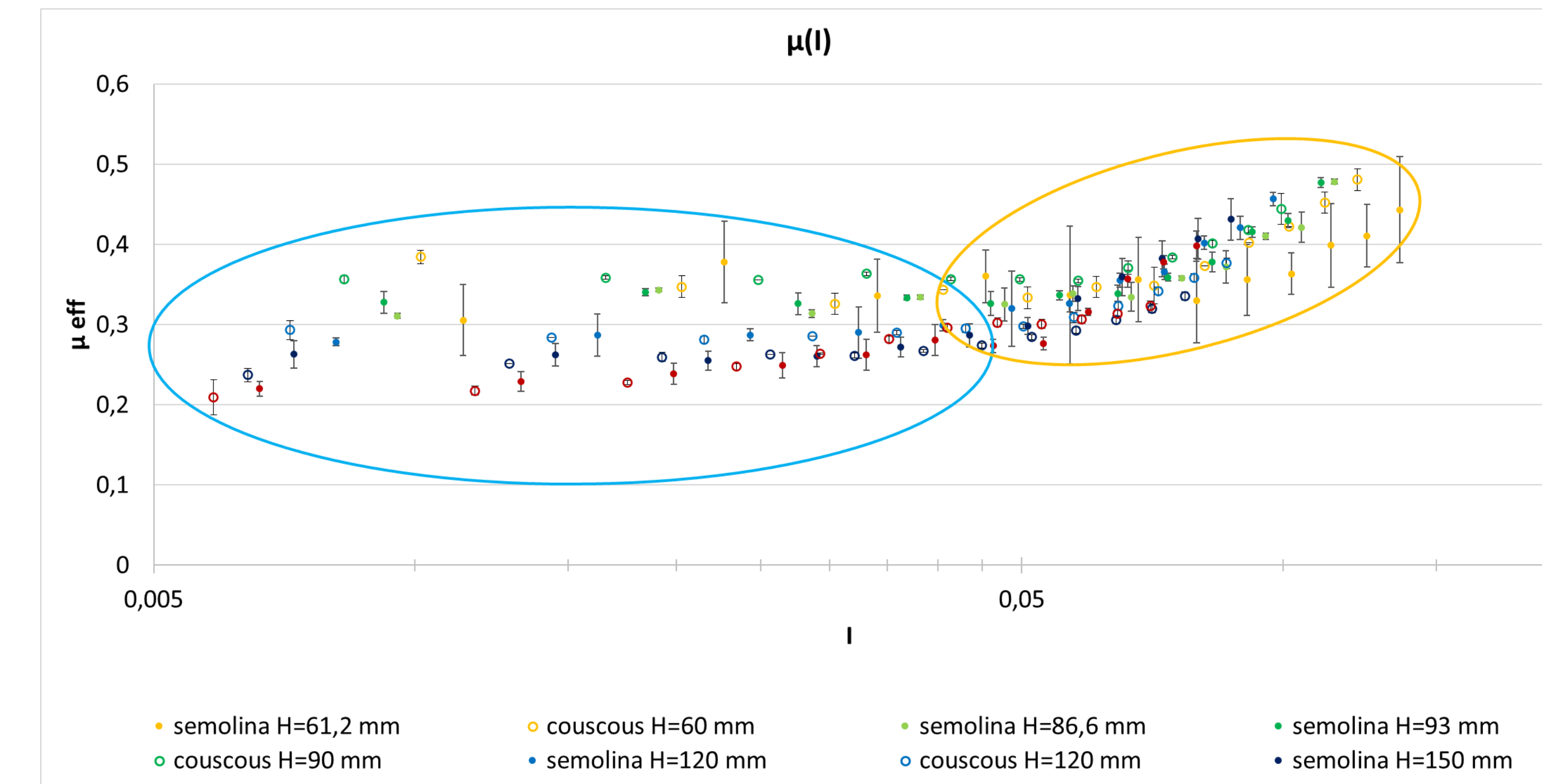
H : powder bed height (m)
 L : paddle length (m)
 S : surface of powder bed
 k : number of particles
 ω : rotational speed (rad/s)
 T : Torque (N.m)
 ρ_b : Powder density (kg/m³)
 ρ_p : Particle density (kg/m³)
 $\dot{\gamma}$: shear rate (s⁻¹)
 d : particle mean diameter (m)
 τ : shear stress (Pa)
 σ : normal stress (Pa)

At rest | Rotating

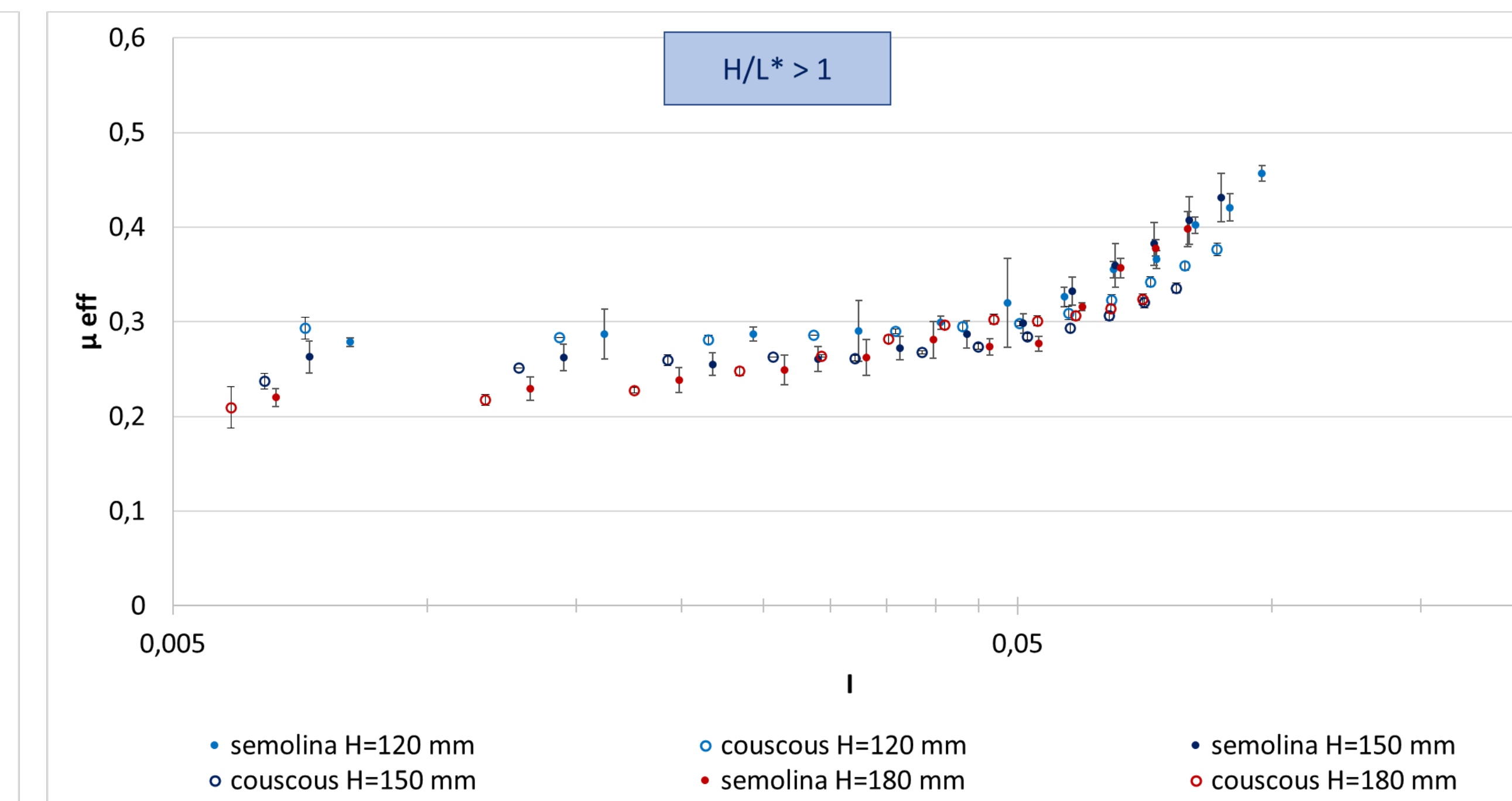
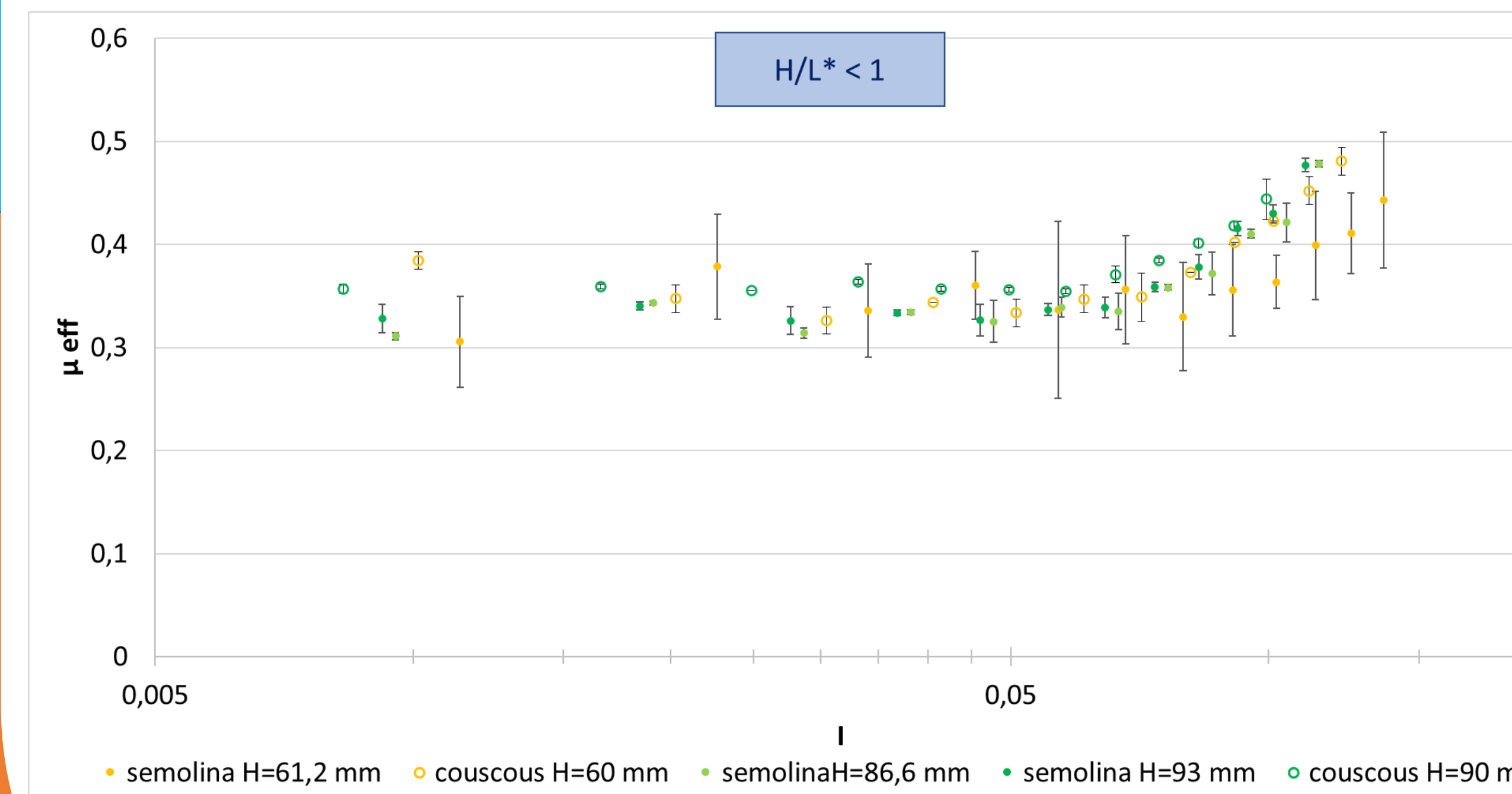
Assumption: Friction surface = Filled surface

5. Results

- Two distinct behaviors and a transition regime
- Filling ratio has greater impact at lower rotational speed.



Flow regime observed is dense flow and results are in coherence with literature results.

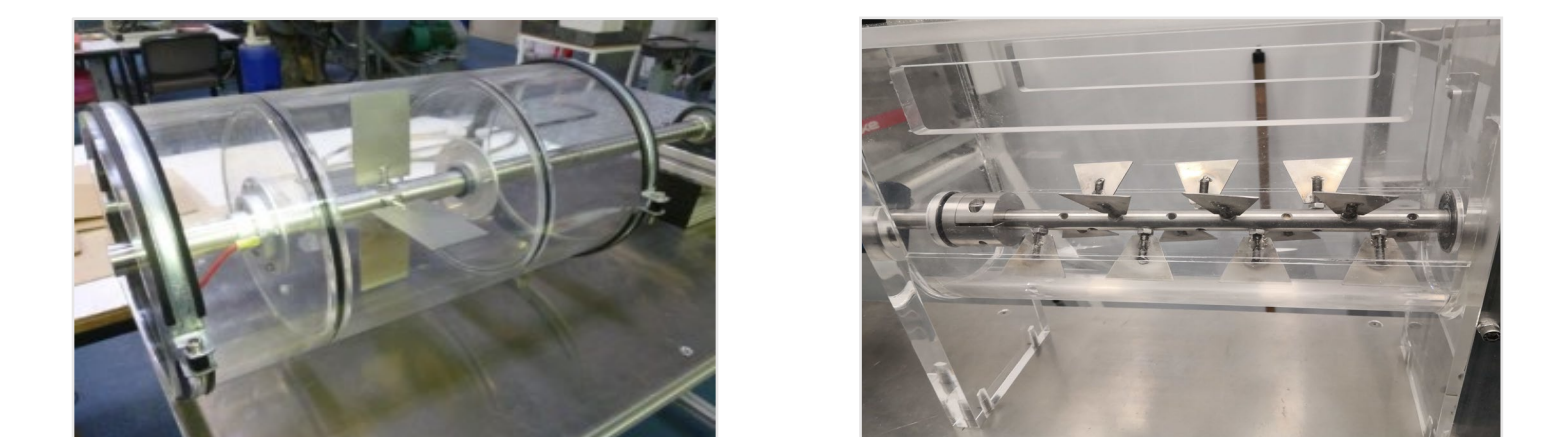


- Filling ratio has an impact on the powder behavior but not only (velocity, sheared band...).
- Bulk density and the width of the sheared band are still locally unknown.

* H : powder bed height
 L : paddle length (120 mm)

6. Conclusions and perspectives

- To consolidate the multi-scale rheology: k , ρ_b , and therefore the compacity of the powder locally, need to be assessed.
- A broader investigation of $\mu_{eff} = f(I)$:
 - Flow regimes
 - Diverse particle shapes and sizes
 - Cohesive powders (Bond number (d))
 - Mixtures: microstructures
 - Different volumes (lab to industrial scale)
 - Different mixer geometries: paddle inclination; number of paddles; number of shafts



2 l → 60 l → 3500 l



(a) Lehen J, Delenne J-Y, Duri A, Ruiz T. Forces and flow induced by a moving intruder in a granular packing: coarse-graining and DEM simulations versus experiments. Granul Matter. 2020 Nov;22(4):78.

(b) da Cruz F, Emam S, Prochnow M, Roux J-N, Chevoir F. Rheophysics of dense granular materials: Discrete simulation of plane shear flows. Phys Rev E. 2005 Aug 31;72(2):021309

(c) GDR MiDi. On dense granular flows. Eur Phys J E. 2004 Aug;14(4):341–65.

(d) Berger N, Azéma E, Douce J-F, Radjai F. Scaling behaviour of cohesive granular flows. EPL Europhys Lett. 2015 Dec 1;112(6):64004.